

A funerary feast fit for King Midas

A royal banquet has been reconstructed from residues in pots found inside the tomb.

We have chemically analysed the ancient organic contents of vessels from the Tumulus MM, 'Midas Mound'¹, the site at Gordion in central Turkey that is the likely tomb of King Midas. The analysis revealed that a spicy meal of sheep or goat and pulses was eaten by mourners at a feast before the interment. We also identified a mixed fermented beverage of grape wine, barley beer and honey mead in the most comprehensive Iron Age drinking set ever found, comprising numerous bronze mixing and serving vessels and more than 100 bowls. Besides providing direct and dramatic evidence for ancient Mediterranean cuisine and customs, our findings have an important bearing on the cultural antecedents of Midas's Phrygian kingdom and on the wider application of molecular archaeological techniques to other ancient foods and beverages.

Preservation conditions were extraordinarily good inside the tomb, which is the earliest known intact wooden structure in the world, dated at about 700 BC. The body of a male, aged 60–65, was laid out in state on a thick pile of dyed textiles in a unique log coffin². The identification of the body as King Midas is strongly supported by the monumental size of the earthen mound built over the tomb, the richness of the burial goods, and the contemporaneous Assyrian inscriptions. The coffin and 14 pieces of fine wooden furniture³ had been placed in the tomb after being used in the ceremonies.

Our chemical reconstruction (Fig. 1) of the banquet entrée is based on well preserved 'fingerprint' compounds. Triacylglycerols, composed principally of saturated palmitic (C₁₆) and stearic (C₁₈) fatty acids, with small amounts of unsaturated oleic (C_{18:1}) fatty acids, predominate in the residues. These compounds, together with cholesterol and the C₆, C₈, C₁₀ saturated acids (caproic, caprylic and capric acids, respectively) can best be explained as deriving from sheep or goat fat. A rancid odour, which may have come from this fat, was detected by the excavators when the tomb was opened. Other compounds indicate that the meat was first barbecued before being cut off the bone and seasoned with Mediterranean herbs and spices.

The major constituents of the mixed fermented beverage are tartaric acid and its salts (occurring naturally in large amounts only in grape and its products, including wine⁴), calcium oxalate ('beerstone', the main precipitate of barley beer⁵) and

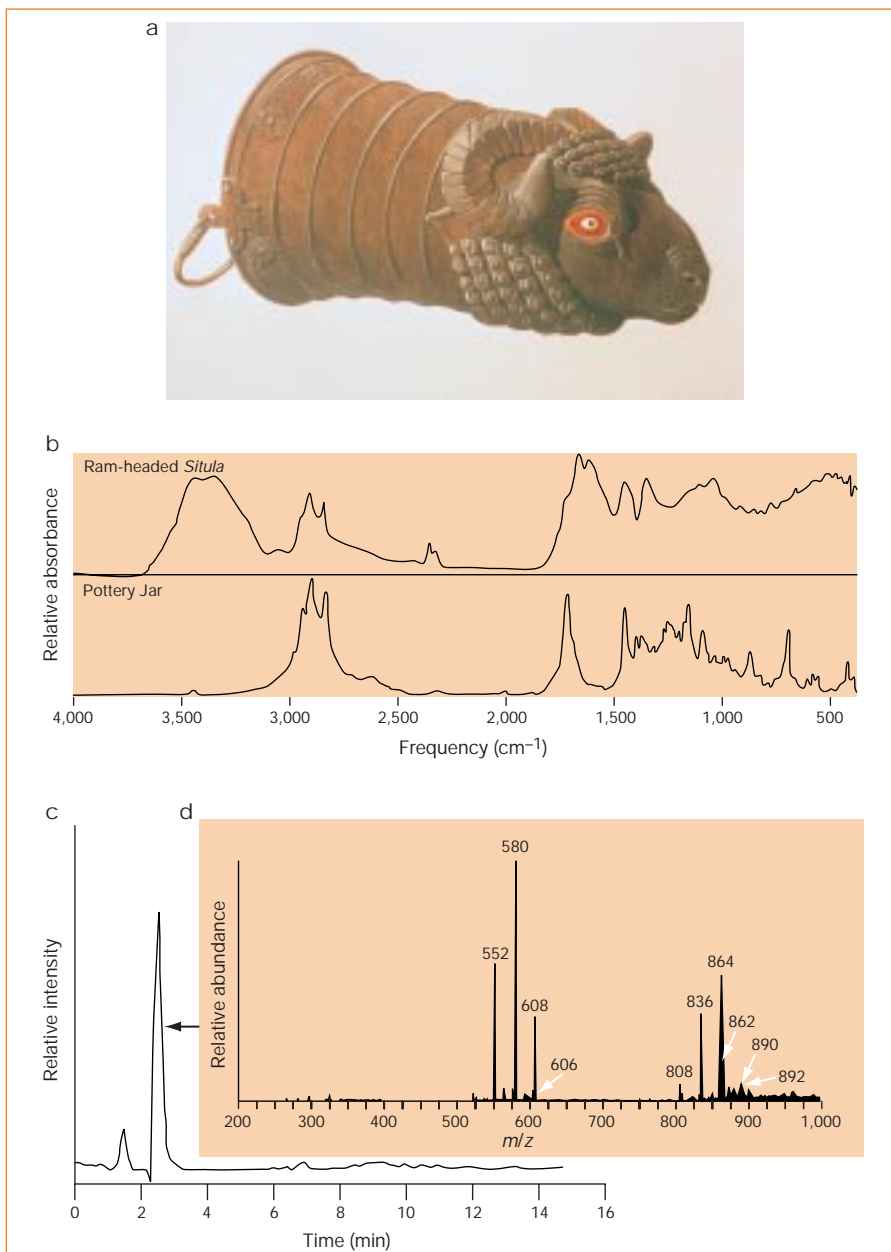


Figure 1 Analysis of vessel contents in the 'King Midas' tomb. **a**, Bronze ram-headed *situla*. **b**, Complementary analyses of the contents of the *situla* (purple line) and food remains from inside a pottery jar (red line). Diffuse-reflectance Fourier-transform infrared spectra typify the methanol extracts of 16 beverage and 14 food samples. The *situla*'s residue is characterized by strong hydrocarbon bands at 2,930/2,860, 1,460, 1,360 and 720 cm⁻¹, best explained by long-chain esters of beeswax. Carboxylate adsorptions between 1,670 and 1,610 cm⁻¹ and between 1,610 and 1,570 cm⁻¹ correlate with calcium oxalate ('beerstone') and calcium tartrate, respectively. A broad band at 3,450–3,400 cm⁻¹ is due to hydroxyl groups. The food residue, by contrast, lacks carboxylate and hydroxyl absorption, and has a marked carbonyl doublet at 1,750–1,730 cm⁻¹. Its hydrocarbon bands have better definition in the 'fingerprint' region at 1,420, 1,390, 1,170, and 1,120 cm⁻¹. These data would best be accounted for by lamb fat. **c**, High-performance liquid chromatogram (HPLC) of a chloroform-methanol extract of the food residue shows that triacylglycerols account for the peak at a retention time of 2.55 min (total ions) representing 90% of the lipid fraction and about 10% of the ancient food residue. **d**, Its mass spectrum is dominated by protonated palmitidistearin (*m/z* 864), with lesser amounts of dipalmito-stearin (836) and tripalmitin (808). Small peaks at 862, 892 and 890, respectively, are due to oleo-palmito-stearin, tristearin and 2-oleodistearin, the latter being prevalent in pulses. The diacylglycerides at 608, 606, 580 and 552 are fragmentation products. Other components of the food samples were identified by gas chromatography–mass spectrometry, sometimes preceded by direct thermal extraction. These include: anisic acid (from anise or fennel), chondrillasterol (lentil), elaidic acid, the *trans* isomer of oleic acid (olive oil), a range of polycyclic aromatic hydrocarbons, including phenanthrene, and alkyl phenol derivatives such as cresol (barbecued meat), and α -terpineol and terpenoid compounds (spices).

beeswax (a group of marker compounds⁶ that are not easily filtered out from mead).

The Homeric epics^{7,8}, reflecting both Greek and Anatolian traditions of the eighth century BC and earlier, describe outdoor funeral banquets in which skewered and roast sheep and goat were served, together with a mixed fermented beverage (Greek *kykeon*)⁹ similar to that in the Midas tomb. (Barley grains were added to *kykeon*, which may have been in the form of beer.) This beverage, in which other fruits such as apple and cranberry might have been used instead of grapes, had long been a traditional drink in Europe¹⁰, suggesting that the Phrygian population could have been of European extraction, perhaps from the Balkans or northern Greece.

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Game theory

Losing strategies can win by Parrondo's paradox

In a game of chess, pieces can sometimes be sacrificed in order to win the overall game. Similarly, engineers know that two unstable systems, if combined in the right way, can paradoxically become stable. But can two losing gambling games be set up such that, when they are played one after the other, they becoming winning? The answer is yes. This is a striking new result in game theory called Parrondo's paradox, after its discoverer, Juan Parrondo^{1,2}. Here we model this behaviour as a flashing ratchet³, in which

winning results if play alternates randomly between two games.

There are actually many ways to construct such gambling scenarios, the simplest of which uses three biased coins (Fig. 1a). Game A consists of tossing a biased coin (coin 1) that has a probability (p_1) of winning of less than half, so it is a losing game. Let $p_1 = 1/2 - \epsilon$, where ϵ , the bias, can be any small number, say 0.005.

Game B (Fig. 1a) consists of playing with two biased coins. The rule is that we play coin 2 if our capital is a multiple of an integer M and play coin 3 if it is not. The value of M is not important, but for simplicity let us say that $M=3$. This means that, on average, coin 3 would be played a

little more often than coin 2. If we assign a poor probability of winning to coin 2, such as $p_2 = 1/10 - \epsilon$, then this would outweigh the better coin 3 with $p_3 = 3/4 - \epsilon$, making game B a losing game overall.

Thus both A and B are losing games, as can be seen in Fig. 1b, where the two lower lines indicate declining capital. If we play two games of A followed by two of B and so on, this periodic switching results in the upper line in Fig. 1b, showing a rapid increase in capital — this is Parrondo's paradox. What is even more remarkable is that when games A and B are played randomly, with no order in the sequence, this still produces a winning expectation (Fig. 1b).

This phenomenon was recently proved mathematically¹ for a generalized M and analysed in terms of entropy based on Shannon's information theory³. We used the flashing brownian ratchet⁴ to explain the game by analogy. The flashing ratchet can be visualized as an uphill slope that switches back and forth between a linear and a sawtooth-shaped profile. Brownian particles on a flat or sawtooth slope always drift downwards, as expected. However, if we flash between the flat and saw-tooth slope, the particles are 'massaged' uphill. This is only possible if the sawtooth shape is asymmetrical in a way that favours particles spilling over a higher tooth.

The flat slope is like game A, where the bias ϵ is like the steepness of the slope. Game B is like the sawtooth slope, where the difference between coin 2 and coin 3 is like the asymmetry in the tooth shape. In the brownian ratchet case, there are two types of slope, with falling particles, but when they are switched the particles go uphill. Similarly, two of Parrondo's games have declining capital that increases if the games are switched or alternated. The games can be thought of as being a discrete ratchet and are known collectively as a parrondian ratchet.

Game theory is linked to various disciplines such as economics and social dynamics, so the development of parrondian-like strategies may be useful, for example for modelling cases in which declining birth and death processes combine in a beneficial way.

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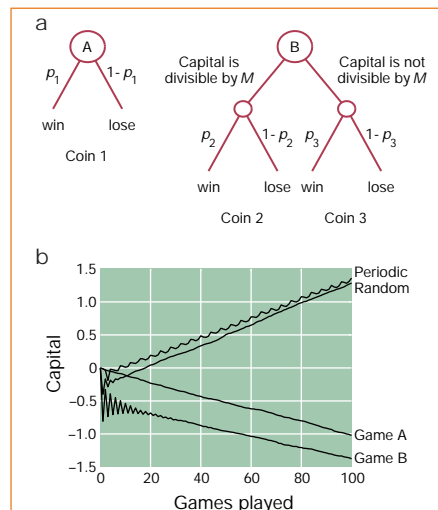


Figure 1 Game rules and simulation. **a**, An example of two games, consisting of only three biased coins, which demonstrate Parrondo's paradox, where p_1 , p_2 and p_3 are the probabilities of winning for the individual coins. For game A, if $\epsilon = 0.005$ and $p_1 = 1/2 - \epsilon$, then it is a losing game. For game B, if $p_2 = 1/10 - \epsilon$, $p_3 = 3/4 - \epsilon$ and $M=3$ then we end up with coin 3 more often than coin 2. But coin 3 has a poor probability of winning, so B is a losing game. The paradox is that playing games A and B in any sequence leads to a win. **b**, The progress of playing games A and B individually and when switching between them. The simulation was performed by playing game A twice and game B twice, and so on, until 100 games were played; this is indicated by the line labelled 'Periodic'. Randomly switched games result in the line labelled 'Random'. The results were averaged from 50,000 trials with $\epsilon = 0.005$.

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